

$$\mathbb{Q}_p = \left\{ \sum_{i=0}^{\infty} a_i p^i ; a_i \in \{0, 1, \dots, p-1\} \right\}$$

$$v_p(x) = \max \{ n \in \mathbb{Z} : p^n \mid x \}$$

WORKSHOP ON P-ADIC GEOMETRY

 **Time:** October 8–12, 2026

 **Venue:** Gu Lecture Hall, SCMS

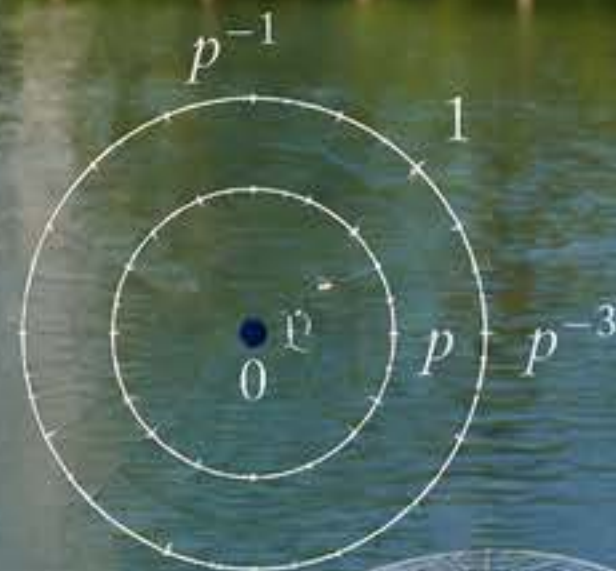
SPEAKERS

- | | | |
|---|------------------|--|
|  | Ian Gleason | National University of Singapore |
|  | Pol van Hoften | Zhejiang University |
|  | Yongquan Hu | Morningside Center of Mathematics, CAS |
|  | Naoki Imai | University of Tokyo |
|  | Andreas Mihatsch | Zhejiang University |
|  | Yong Suk Moon | BIMSA |
|  | Zicheng Qian | Morningside Center of Mathematics, CAS |
|  | Xu Shen | Morningside Center of Mathematics, CAS |
|  | Yousheng Shi | Zhejiang University |
|  | Haining Wang | SCMS, Fudan University |

$$\zeta_p(s) = \frac{1}{1 - p^{1-s}}$$

$$f(x) = \sum_{n=1}^{\infty} a_n q^n$$

$$q = e^{2\pi i \tau}$$



ORGANIZERS

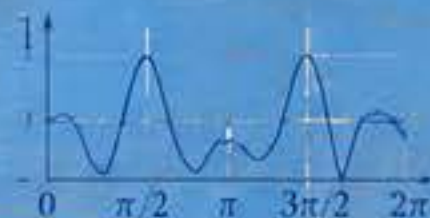
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$$q = e^{2\pi i z}$$
$$f \in S_k(\Gamma)$$



$$L(s, \chi) = \sum_{n=1}^{\infty} \frac{\chi(n)}{n^s}$$

$$\begin{pmatrix} a & b \\ c & d \end{pmatrix} \in GL_2(\mathbb{Z}_p)$$

