

报告题目: A rescaled expansiveness for flows 报告人: 文晓 (北京航空航天大学) 时间: 2020-11-24 星期二 14:00-15:00 地点: 腾讯会议 ID: 852 4566 4051 报告摘要:

We introduce a new version of expansiveness for flows. Let \$M\$ be a compact Riemannian manifold without boundary and \$X\$ be a \$C^1\$ vector field on \$M\$ that generates a flow \$\varphi_t\$ on \$M\$. We call \$X\$ {\it rescaling expansive} on a compact invariant set \$\Lambda\$ of \$X\$ if for any \$\epsilon>0\$ there is \$ \delta>0\$ such that, for any \$x,y\in \Lambda\$ and any time reparametrization \$ \theta:\mathbb{R}\to \mathbb{R}\$, if \$d(\varphi_t(x),\varphi_{\theta(t)}(y))\le \delta\|X(\varphi_t(x))\|\$ for all \$t\in \mathbb R\$, then \$\varphi_{\theta(t)}(y)\in \varphi_{[-\epsilon, \epsilon]}(\varphi_t(x))\$ for all \$t\in \mathbb R\$. We prove that every multisingular hyperbolic set (singular hyperbolic set in particular) is rescaling expansive and a converse holds generically. Other definitions of expansiveness of flows and their relationships are also introduced.

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